## GRAPHS WITH ISOLATION NUMBER EQUAL TO ONE THIRD OF THE ORDER

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A set D of vertices of a graph G is *isolating* if the set of vertices not in D and with no neighbor in D is independent. The *isolation number* of G, denoted by  $\iota(G)$ , is the minimum cardinality of an isolating set of G. It is known [3] that  $\iota(G) \leq n/3$  if G is a connected graph of order n, distinct from  $C_5$ . We characterize unicyclic and block graphs of order n with isolating number equal to n/3 and provide a family of general graphs attaining this upper bound on the isolation number.

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